

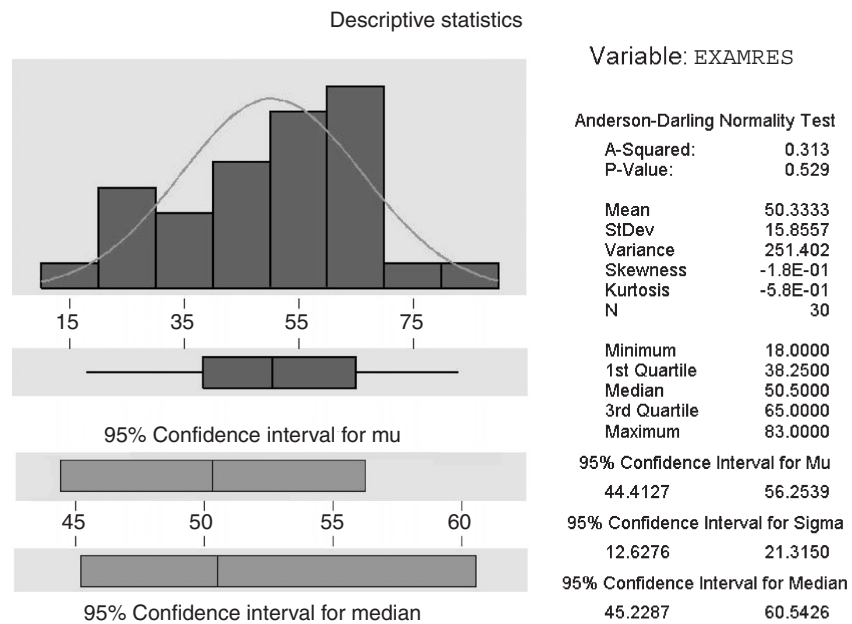
Revision section: The basics

R1.3 Confidence intervals: a way of precisely representing uncertainty

A whole range of descriptive statistics can be produced by Minitab for a variable. Below we give an example for the exam results described in Box R1.1.

MINITAB COMMANDS FOR BOX R1.1 Descriptive statistics and confidence intervals for single samples	
Commands	<pre>%describe 'EXAMRES'; confidence 95.0.</pre>
Menu route	Stat > Basic Statistics > Display Descriptive Statistics <div style="border: 1px solid black; display: inline-block; padding: 2px;">Graphs...</div> <input checked="" type="checkbox"/> Graphical Summary 95.0 → Confidence level:

MINITAB OUTPUT FOR BOX R1.1 Descriptive statistics and confidence intervals for single samples						
Descriptive Statistics: EXAMRES						
Variable	N	Mean	Median	TrMean	StDev	SE Mean
EXAMRES	30	50.33	50.50	50.50	15.86	2.89
Variable	Minimum	Maximum	Q1	Q3		
EXAMRES	18.00	83.00	38.25	65.00		



Minitab output for Box R1.1. Confidence intervals for single samples

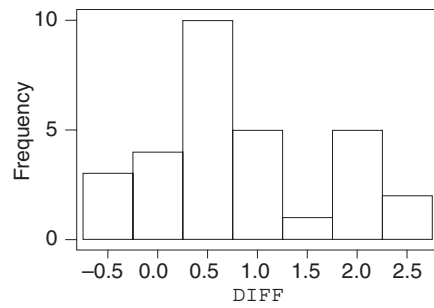
Minitab produces a wealth of information in addition to the confidence interval. However, you can see that under ‘95% Confidence Interval for Mu’ is the same interval as that produced in Box R1.1, and calculated in the main text. Minitab has also drawn a Normal distribution with a mean and variance corresponding to our sample, and conducted a Normality test. It has also drawn a box plot, which indicates the four quartiles of the data. Confidence intervals and Normal distributions are covered in the Revision section of the main text, with Normality tests being covered in later chapters.

R1.4 The null hypothesis—taking the conservative approach

In this section, a one sample t -test is conducted on the data variable DIFF. First, a histogram of the data is plotted.

MINITAB COMMANDS FOR FIG. R1.6.

Commands	histogram DIFF
Menu route	Graph > Histogram DIFF → Graph variables, X



Minitab output for Fig. R1.6.

Then, the one sample t -test is conducted:

MINITAB COMMANDS FOR BOX R1.2 One sample t -test

Commands	oneT DIFF; test 0.
Menu route	Stat > Basic Statistics > 1-Sample t DIFF → Variables 0 → Test Mean:

MINITAB OUTPUT FOR BOX R1.2 One sample t -test

One-Sample T: DIFF

Test of $\mu = 0$ vs $\mu \text{ not } = 0$

Variable	N	Mean	StDev	SE Mean
DIFF	30	0.862	0.838	0.153

Variable	95.0% CI	T	P
DIFF	(0.549, 1.175)	5.64	0.000

R1.5 Comparing two means

Two sample t -test

The two sample t -test is conducted on the *squirrels* dataset. First the data are transformed to natural logarithms.

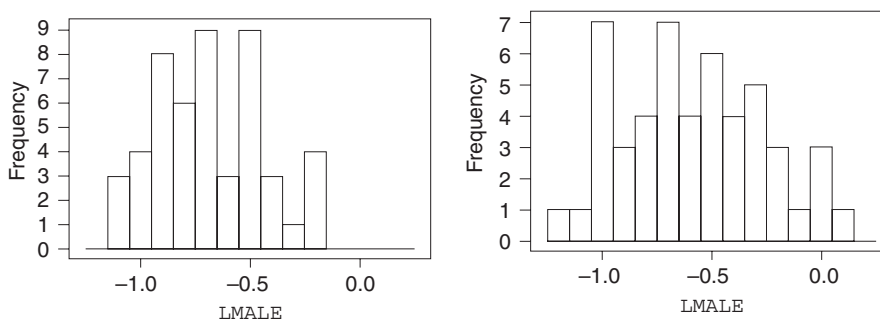
MINITAB COMMANDS TO TRANSFORM DATA

Commands	<pre> name C3 = 'LMALE' let LMALE = LOGE(MALE) name C4 = 'LFEM' let LFEM = LOGE(FEMALE) </pre>
Menu route	<pre> Calc > Calculator LMALE → Store result in variable LOGE(MALE) → Expression Calc > Calculator LFEM → Store result in variable LOGE(FEMALE) → Expression </pre>

Both the raw data and the logged data are plotted—but here we just show how to do this for the logged data. The midpoint/cutpoint command allows you to specify the bar divisions, and so ensure the two histograms are plotted on the same X scale.

MINITAB COMMANDS FOR FIG. R1.7 **Histograms of Logs of body mass of male and female squirrels**

Commands	<pre> histogram LMALE LFEM; midpoint -1.2:0.2/0.1; </pre>
Menu route	<pre> Graph > Histogram LMALE → Graph variables, X row 1 LFEM → Graph variables, X row 2 </pre> <div style="border: 1px solid black; padding: 2px; width: fit-content; margin: 5px 0;">Options...</div> <pre> <input checked="" type="radio"/> Midpoint/cutpoint positions -1.2:0.2/0.1 → Midpoint/cutpoint positions </pre>



Minitab output for Fig. R1.7. Histograms of Logs of body mass of male and female squirrels.

Finally, the two sample *t*-test. In this case, as in the main text, we have used the ‘pooled’ method to calculate the standard errors. In other words, we have assumed that one error variance can be estimated for the two samples.

MINITAB COMMANDS FOR BOX R1.6 Two sample <i>t</i> -test	
Commands	twosample LMALE LFEM; pooled.
Menu route	Stat > Basic Statistics > 2-sample <i>t</i> ⊙ Samples in different columns LMALE → First: LFEM → Second: <input checked="" type="checkbox"/> Assume equal variances

MINITAB OUTPUT FOR BOX R1.6 Two sample <i>t</i> -test																
Two-Sample T-Test and CI: LMALE, LFEM																
Two-sample T for LMALE vs LFEM																
	<table> <thead> <tr> <th></th> <th>N</th> <th>Mean</th> <th>StDev</th> <th>SE Mean</th> </tr> </thead> <tbody> <tr> <td>LMALE</td> <td>50</td> <td>-0.579</td> <td>0.325</td> <td>0.046</td> </tr> <tr> <td>LFEM</td> <td>50</td> <td>-0.688</td> <td>0.245</td> <td>0.035</td> </tr> </tbody> </table>		N	Mean	StDev	SE Mean	LMALE	50	-0.579	0.325	0.046	LFEM	50	-0.688	0.245	0.035
	N	Mean	StDev	SE Mean												
LMALE	50	-0.579	0.325	0.046												
LFEM	50	-0.688	0.245	0.035												
Difference = mu LMALE - mu LFEM																
Estimate for difference: 0.1092																
95% CI for difference: (-0.0050, 0.2234)																
T-Test of difference = 0 (vs not =): T-Value = 1.90 P-Value = 0.061 DF = 98																
Both use Pooled StDev = 0.288																

One and two tailed tests

To convert a two tailed to a one tailed test requires an additional command, as shown below:

MINITAB COMMANDS FOR BOX R1.9 A one-tailed two sample <i>t</i> -test of the logs of squirrel body masses	
Commands	twosample LMALE LFEM; pooled; alternative 1.

Menu route

Stat > Basic Statistics > Two sample *t*

- Samples in different columns
- LMALE → First:
- LFEM → Second:
- Assume equal variances

Options...

Alternative ▼

greater than

MINITAB OUTPUT FOR BOX R1.9 A one-tailed two sample t-test of the logs of squirrel body masses

Two-Sample T-Test and CI: LMALE, LFEM

Two-sample T for LMALE vs LFEM

	N	Mean	StDev	SE Mean
LMALE	50	-0.579	0.325	0.046
LFEM	50	-0.688	0.245	0.035

Difference = μ LMALE - μ LFEM

Estimate for difference: 0.1092

95% lower bound for difference: 0.0136

T-Test of difference = 0 (vs >): T-Value = 1.90

P-Value = 0.030 DF = 98

Both use Pooled StDev = 0.288

In this case we were using the command 'alternative 1' because our alternative hypothesis was that LMALE was greater than LFEM. However, we could just as easily have had the alternative hypothesis that LMALE was less than LFEM, in which case we could have used the command 'alternative -1'. However, having noted the direction of the difference (LMALE > LFEM), then the test would most definitely not be significant in the other direction! Our one-tailed test has converted an insignificant *p*-value into a significant one—but see main text for a health warning!